



**Impact on credit freeze before gate closing in CBS and GCL  
integration into TSN**

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ONERA – The French Aerospace Lab  
Toulouse, France

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November 6th



r e t o u r   s u r   i n n o v a t i o n

M. Boyer and H. Daigmorte **Credit freeze before gate closing in TSN/CBS+GCL**

## Once upon a time

- Time Sensitive Networking (TSN)
  - Credit-Based Shaper (CBS)
  - Gate Control List (GCL)

- CBS and GCL integration

- Simulation
  - Model
  - Results

- Conclusion

## A (rejected) submission

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## Strange situation

- The standart behavior is not the one proposed in previous studies.
- All performance analyses do assumption different from the standard.

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## Questions

- Why this choice?



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## Strange situation

- The standart behavior is not the one proposed in previous studies.
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## Questions

- Why this choice?
- What are the impacts on performances?

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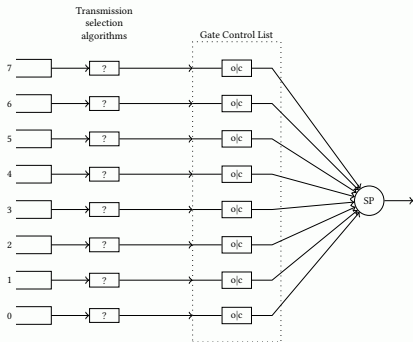
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# The Time Sensitive Networking IEEE working group

- Designing a new Ethernet-based real-time network
  - Extention of the work done on Audio Video Bridging (AVB)
- Focus of this study:
  - frame selection at output port
  - interactions between Credit Based Shaper (AVB) and Gate Control List



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# Credit-Based Shaper (CBS)

An algorithm to select the next frame when the link is idle.

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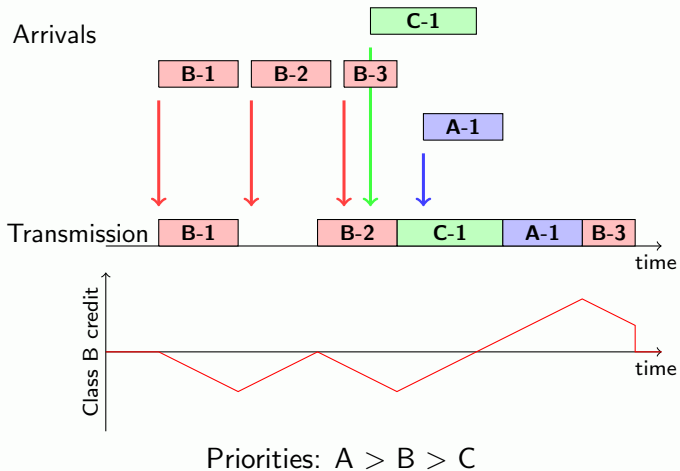
- each queue  $X$  as a credit  $c_X$ , initialised to 0, and a “idle slope” parameter  $id_X \in [0, R]$ , with  $R$  the link capacity

# Credit-Based Shaper (CBS)

An algorithm to select the next frame when the link is idle.

- each queue  $X$  as a credit  $c_X$ , initialised to 0, and a “idle slope” parameter  $id_X \in [0, R]$ , with  $R$  the link capacity
- the head-of-queue frame can be selected for transmission only if
  - $c_X \geq 0$
  - no higher priority frame can be transmitted
- the credit evolution rules are
  - when a frame is waiting, increase with slope  $id_X$
  - when a frame is transmitted, decrease with slope  $id_X - R$
  - when the queue is empty and  $c < 0$ , increase with slope  $id_X$  up to 0
  - when the queue is empty and  $c > 0$ , reset  $c = 0$

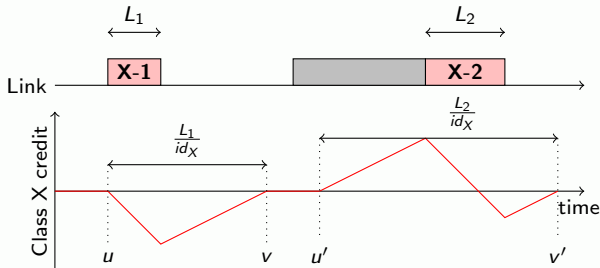
# CBS illustration





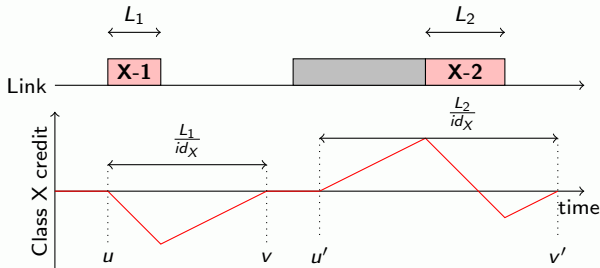
# CBS is a shaper and bandwidth limiter

- The “idle slope” parameter is bandwidth allocation: value  $id_X$  allows throughput  $id_X$



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- Higher credit value leads to higher burst.

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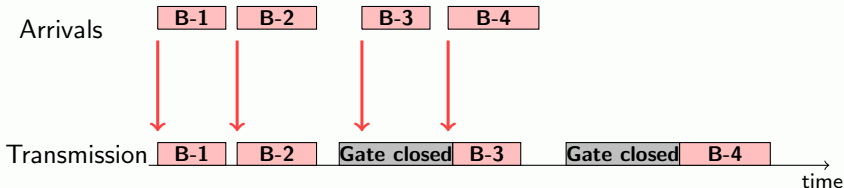
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# The gate control list

- each queue has a gate
- the gate is either open or closed
- a cyclic schedule defines per queue opening and closing time
  - ⇒ TDMA-like
- a frame can be selected only if
  - the gate is open
  - it can be transmitted up to completion before next closing (avoid encroaching)



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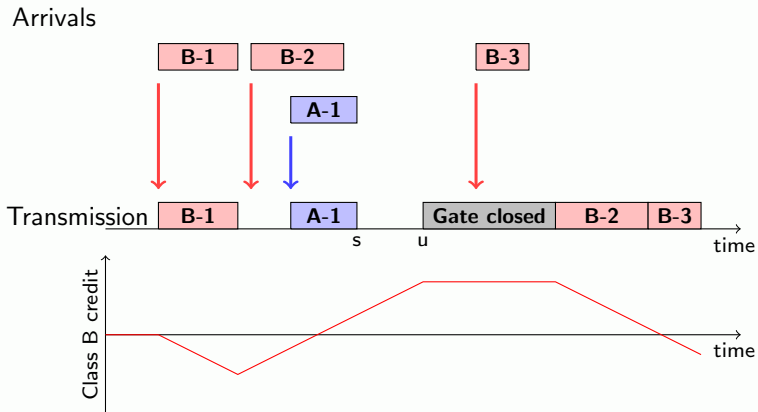
## Main principles

- a frame can be selected only if
  - the CBS rules are satisfied ( $c_X \geq 0$ )
  - the gate is open (and no “near” closing event)
- the credit is frozen when the gate is closed
  - rational: avoid bursts after gate opening (?)

## Question

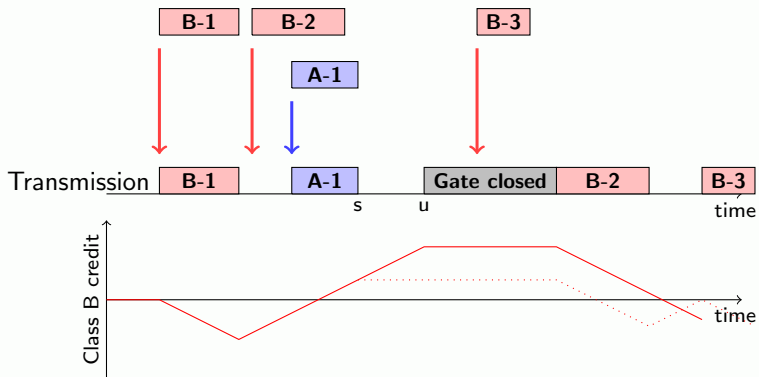
What happens if a frame is blocked to avoid encroaching on next closed interval?

# Integration illustration



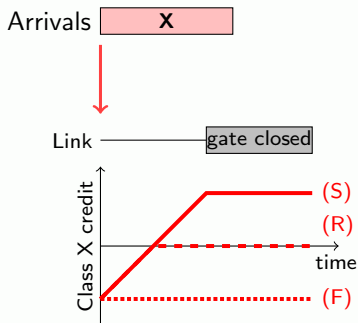
# Integration illustration

Arrivals



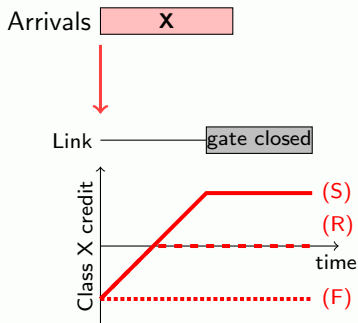


# Three rules: S,R,F



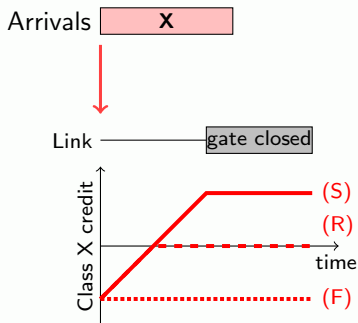
- Three rules
  - S: standard
  - F: frozen
  - R: return to zero

# Three rules: S,R,F



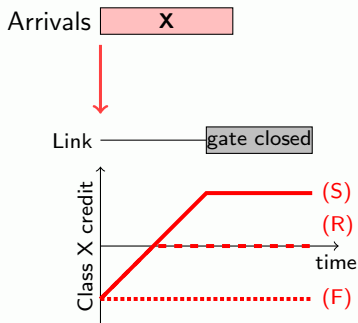
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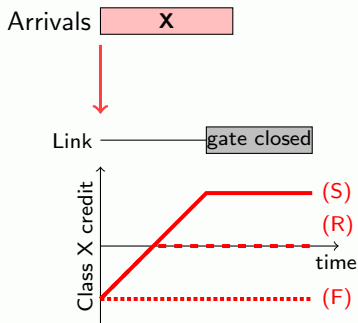
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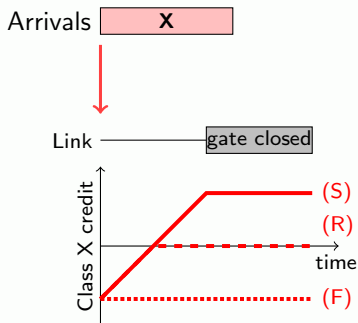
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  - on mean delays

# Three rules: S,R,F



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  - on mean delays simulations

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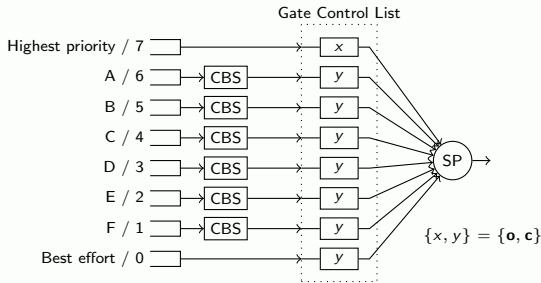
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# Simulated system

## Single TSN/CBS+CCL port

- a high-priority queue, without shaper
- 3 CBS queues,  $A, B, C$
- one best-effort queue (lower priority, no shaper)
- exclusive gating:
  - when the high-priority gate is open, all others are closed
  - when the high-priority gate is closed, all others are open



# Simulation parameters

- port bandwidth: 100Mb/s
- gate cycle: 1s
- CBS gates closed 20% of the time with two policies
  - random: 1000 intervals, with duration 0.2ms each, randomly set (without overlapping)
  - uniform: one closed interval each ms
    - 400 with duration 0.1ms
    - 400 with duration 0.2ms
    - 200 with duration 0.4ms
- each CBS queue is shared by 20 periodic flows of 1Mb/s throughput each
  - 50 simulations of duration 5s
  - random offset for each flow for each simulation
- the best-effort queue is always ready to send a frame

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Model

**Results**

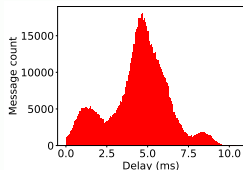
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# Same distribution for all queues A, B, C

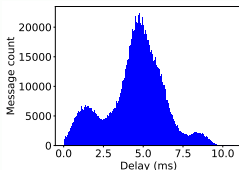
The delay distribution shape is independent of the class.

⇒ good quality of CBS shaping

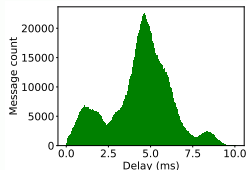
⇒ only min/max/average/Q1/Q3 in next figures



(a) Class A



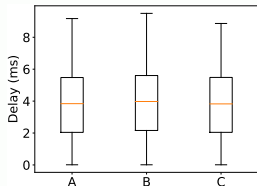
(b) Class B



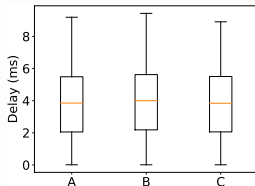
(c) Class C

Per class frame delay distribution for policy S, random gate closing.

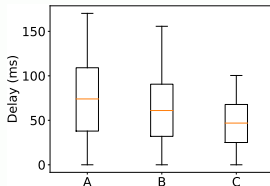
# Uniform (a,b,c) and random (d,e,f) gate closing



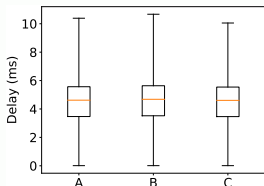
(a) Policy S



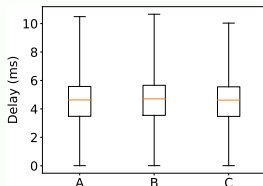
(b) Policy R



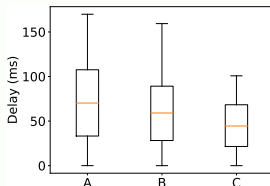
(c) Policy F



(d) Policy S



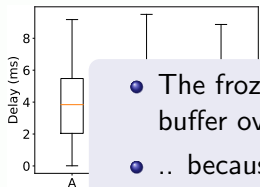
(e) Policy R



(f) Policy F

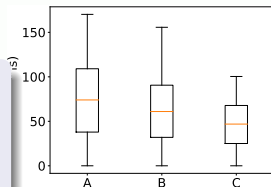
Plotting mean (red), min, max, Q1 and Q3 delays

# Uniform (a,b,c) and random (d,e,f) gate closing

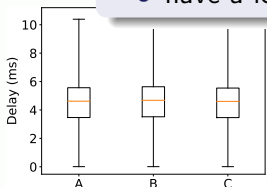


(c)

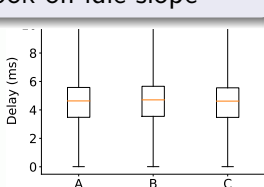
- The frozen policy leads to buffer overflow
- .. because the idle slope is too small
- have a look on idle slope



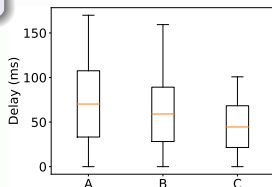
(f) Policy F



(g) Policy S



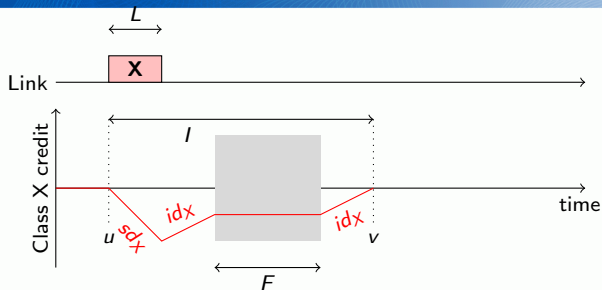
(h) Policy R



(i) Policy F

Plotting mean (red), min, max, Q1 and Q3 delays

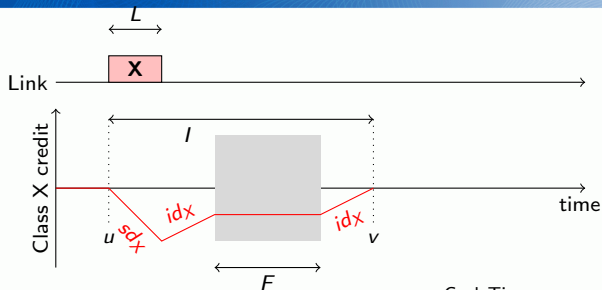
# Duration of frozen intervals and idle slope



Problem

- Credit freezing reduces credit refuelling opportunities
- ⇒ Freezing reduces throughput

# Duration of frozen intervals and idle slope



- Solution / workaround:  $id = \text{bandwidth} \times \frac{\text{CycleTime}}{\text{CycleTime} - F}$
- S:  $F$  is known,  $F = \text{CloseTime}$ ,

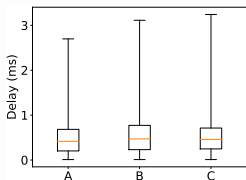
$$id_S = \text{bandwidth} \times \frac{\text{CycleTime}}{\text{CycleTime} - \text{CloseTime}}$$

- F,R:  $F$  is dynamic,  $\text{CloseTime} \leq F \leq \text{CloseTime} + n \frac{L^M}{R}$

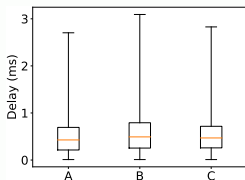
$$id_{F,R} = \text{bandwidth} \times \frac{\text{CycleTime}}{\text{CycleTime} - \text{CloseTime} - n \frac{L^M}{R}}$$



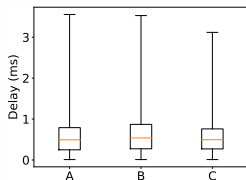
# Same experiment with larger idle slope $id_{F,R}$



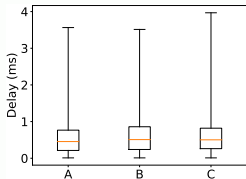
(g) Policy S



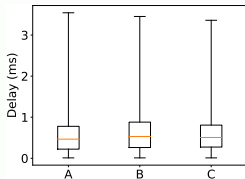
(h) Policy R



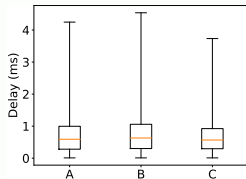
(i) Policy F



(j) Policy S



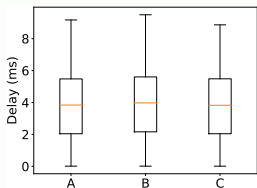
(k) Policy R



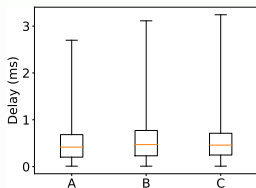
(l) Policy F

Plotting mean (red), min, max, Q1 and Q3 delays  
Closing interval distribution: uniform (d-e-f), random (g-h-i)

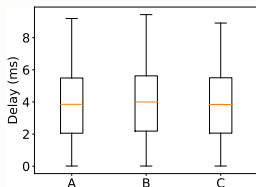
# Comparing impact of the idle slope



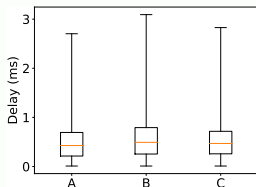
(m) Policy S,  $id = 25\text{Mb/s}$



(n) Policy S,  $id = 27.78\text{Mb/s}$



(o) Policy R,  $id = 25\text{Mb/s}$



(p) Policy R,  $id = 27.78\text{Mb/s}$

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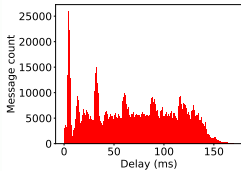
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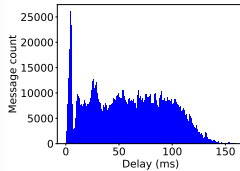
- The ratio “throughput/idle slope” has strong influence on delays.
- The “frozen” rule requires modification of the idle slope.
- The expected benefits of “frozen” rule are not visible on these simulations.
- A new rule (return to zero) is proposed.
  - trade-off between both
  - looks slightly better than standard on simulations
- Evaluation on worst case delay is coming.

More figures

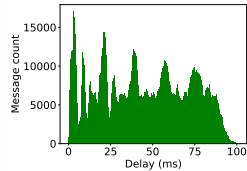
# Same distribution for all queues $A, B, C$ (F, $id$ , random)



(q) Class A



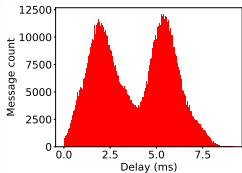
(r) Class B



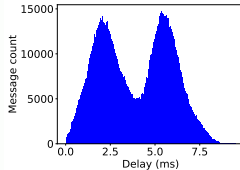
(s) Class C

**Figure:** Per class delay distribution for policy F, idle slope  $id$ , random gate closing.

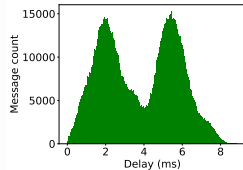
# Same distribution for all queues $A, B, C$ ( $S, id$ , uniform)



(a) Class A



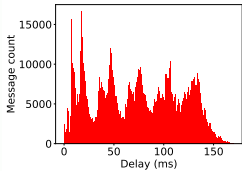
(b) Class B



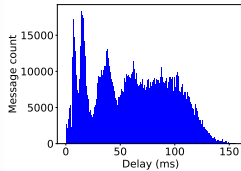
(c) Class C

**Figure:** Per class delay distribution for policy  $S$ , idle slope  $id$ , uniform gate closing.

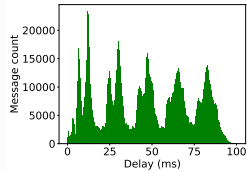
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(a) Class A



(b) Class B



(c) Class C

**Figure:** Per class delay distribution for policy  $F$ , idle slope  $id$ , uniform gate closing.